

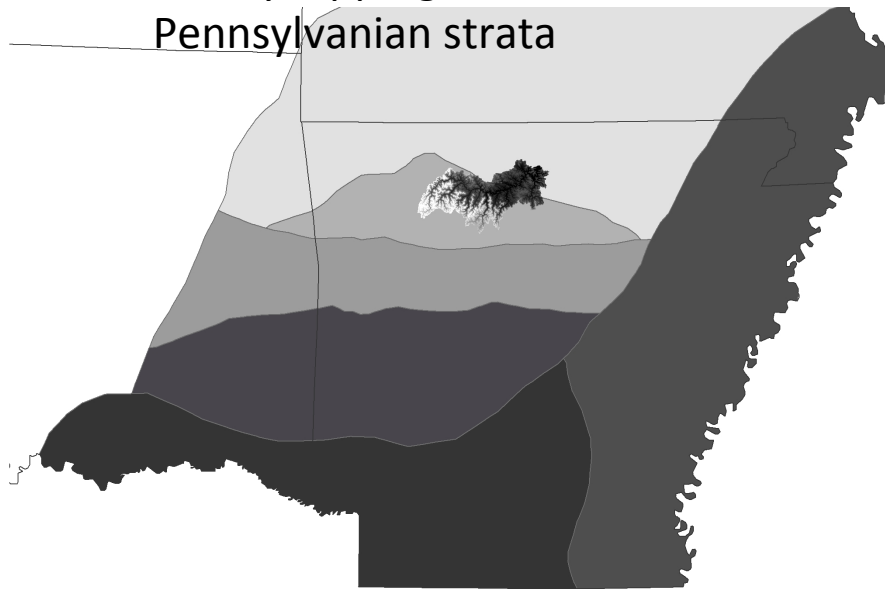


The influence of sandstone caprock material on channel steepness in the Buffalo National River Basin, AR

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Buffalo National River Basin Ozark and Boston Mountains Region

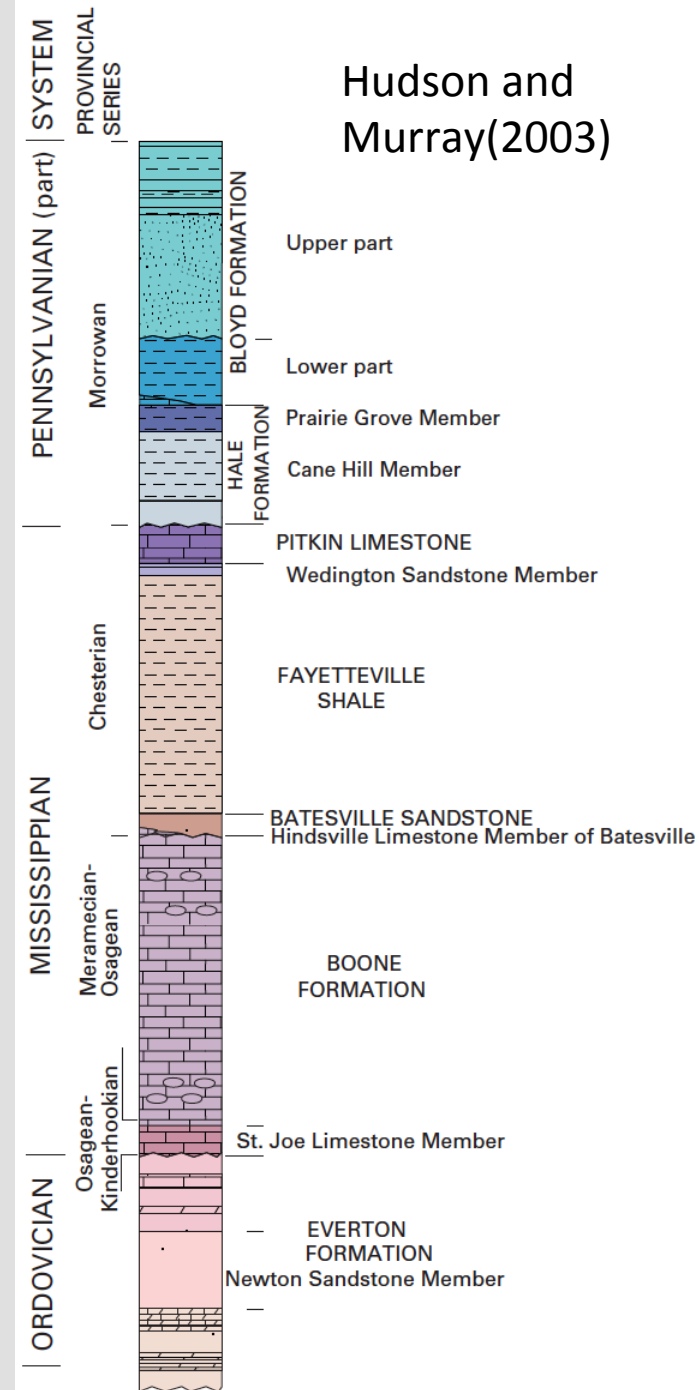
- Uplift coincident with Ouachita-Appalachian orogeny
 - Tectonically inactive
- Series of uplifted and dissected plateaus
- Gently dipping Ordovician to Pennsylvanian strata



Physiographic Province

- Springfield-Salem Plateaus
- Boston Mountains
- Arkansas River Valley
- Ouachita Mountains
- Mississippi Alluvial Plain
- West Gulf Coastal Plain

Hudson and Murray(2003)



- Integral method of channel profile analysis & chi gradients

- Perron and Royden(2013)

$$\frac{dz}{dx} = \left(\frac{U}{K} \right)^{1/n} A(x)^{-m/n}$$

- Quantify channel steepness with effect of basin area removed using chi gradients

$$z(x) = z(x_0) + m_\chi \chi$$

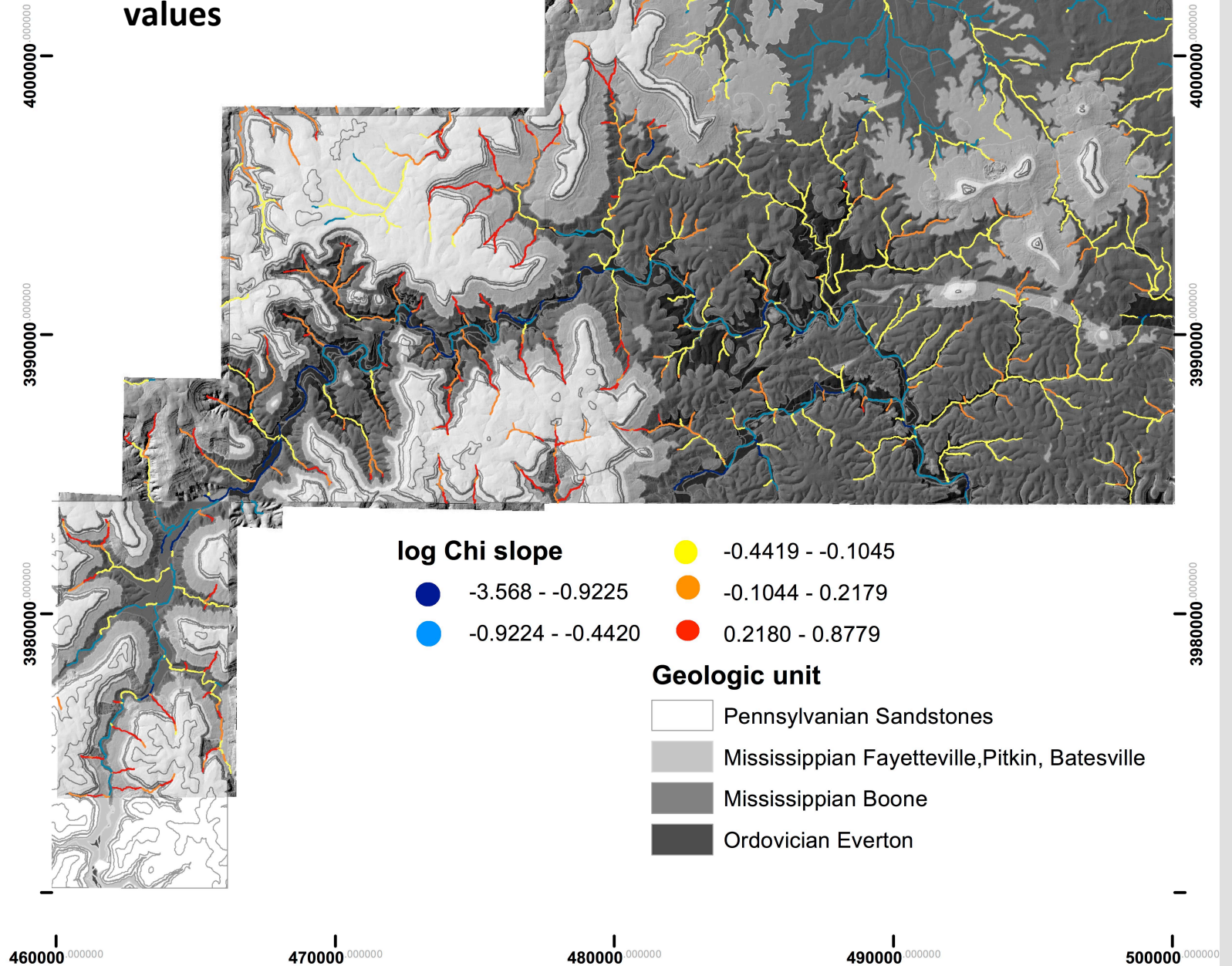
- Analysis was done using LSDTopoToolbox
 - Calculates chi gradient and drainage area at evenly spaced nodes along channel
 - Concavity is 0.45
 - Basins below $10^{5.7} \text{m}^2$ were trimmed

Where

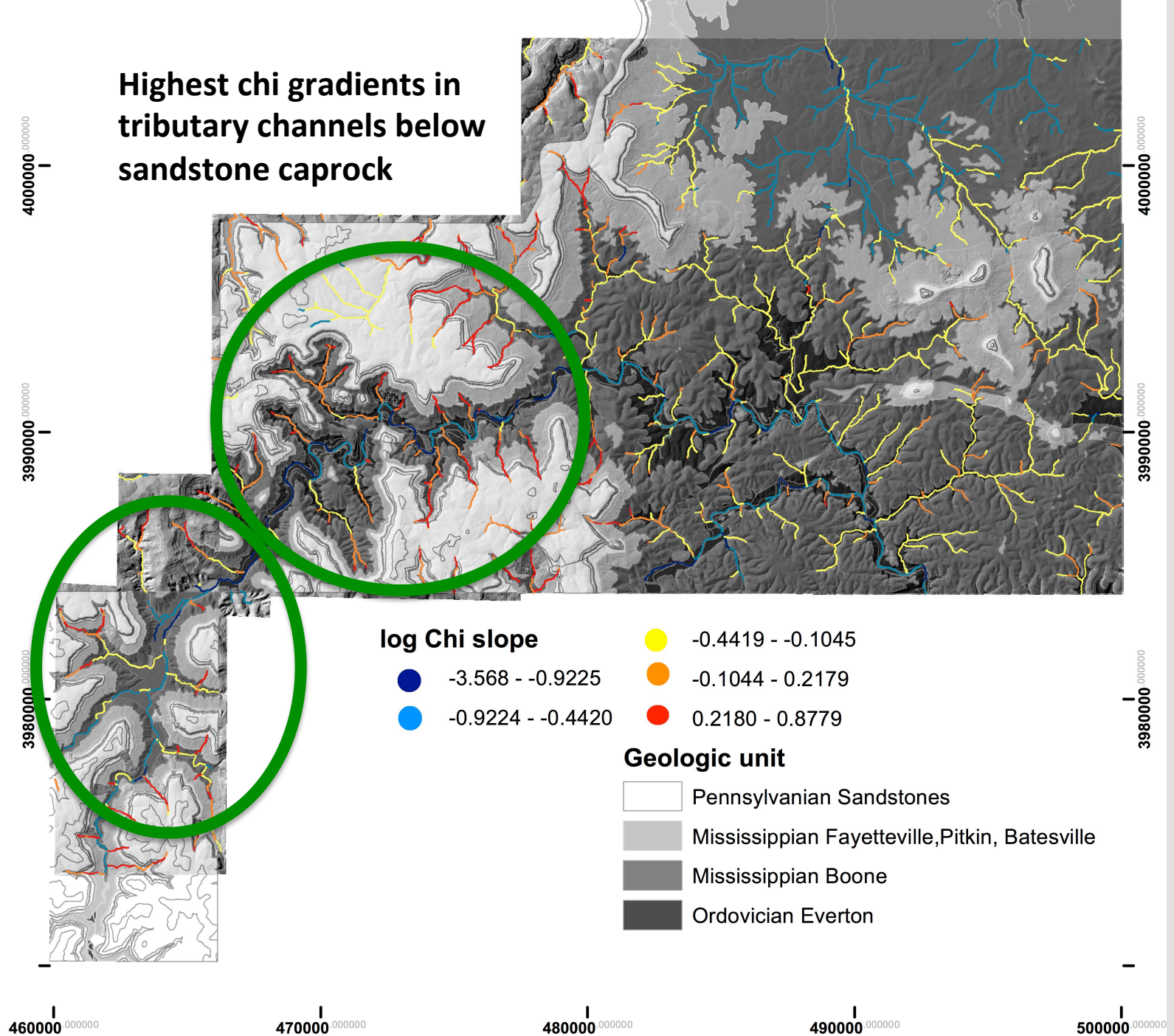
$$m_\chi = \left(\frac{U}{K A_0^m} \right)^{1/n}$$

$$\chi = \int_{x_0}^x \left(\frac{A_0}{A(x)} \right)^{m/n} dx$$

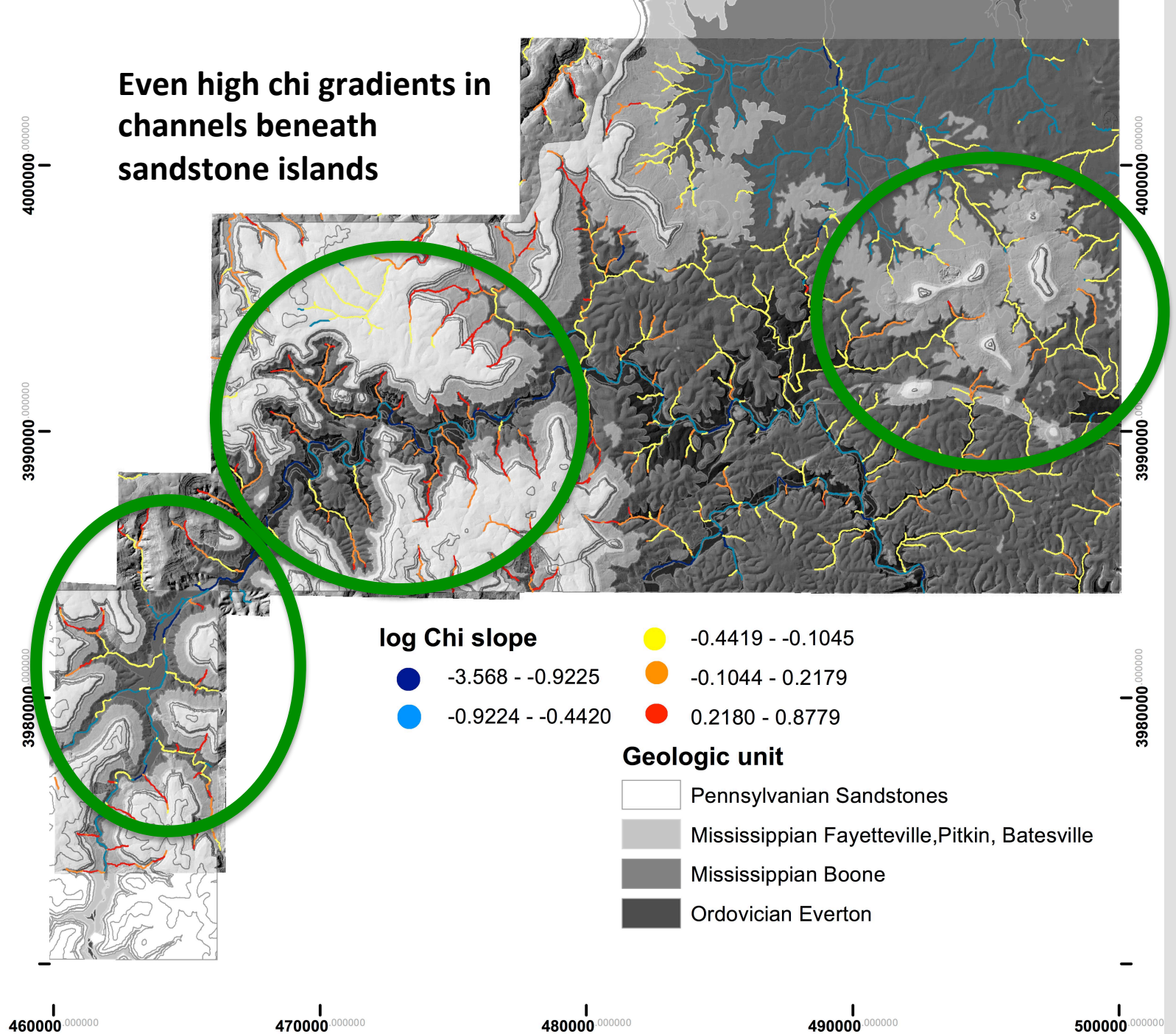
Map of chi gradient values



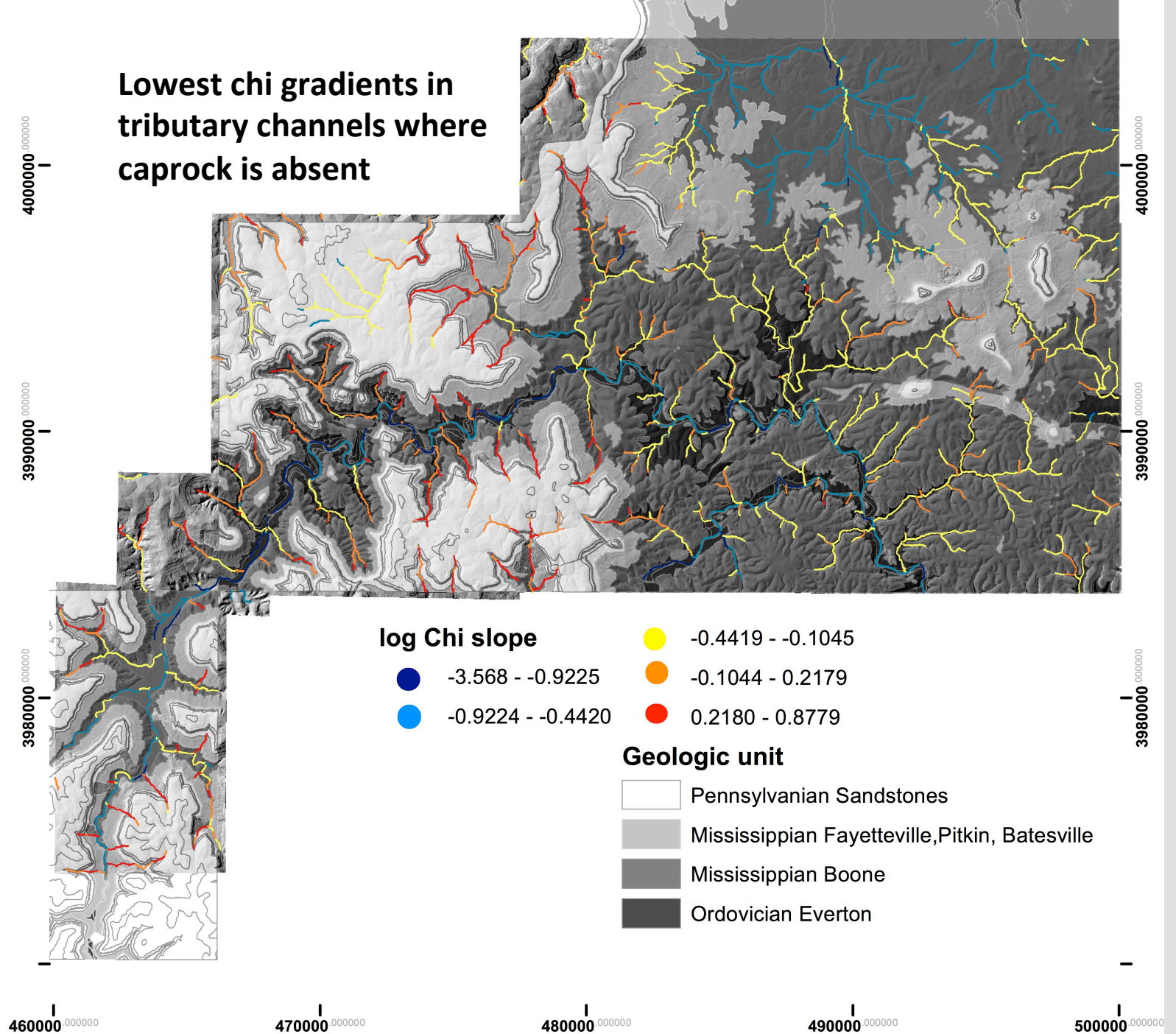
Highest chi gradients in
tributary channels below
sandstone caprock



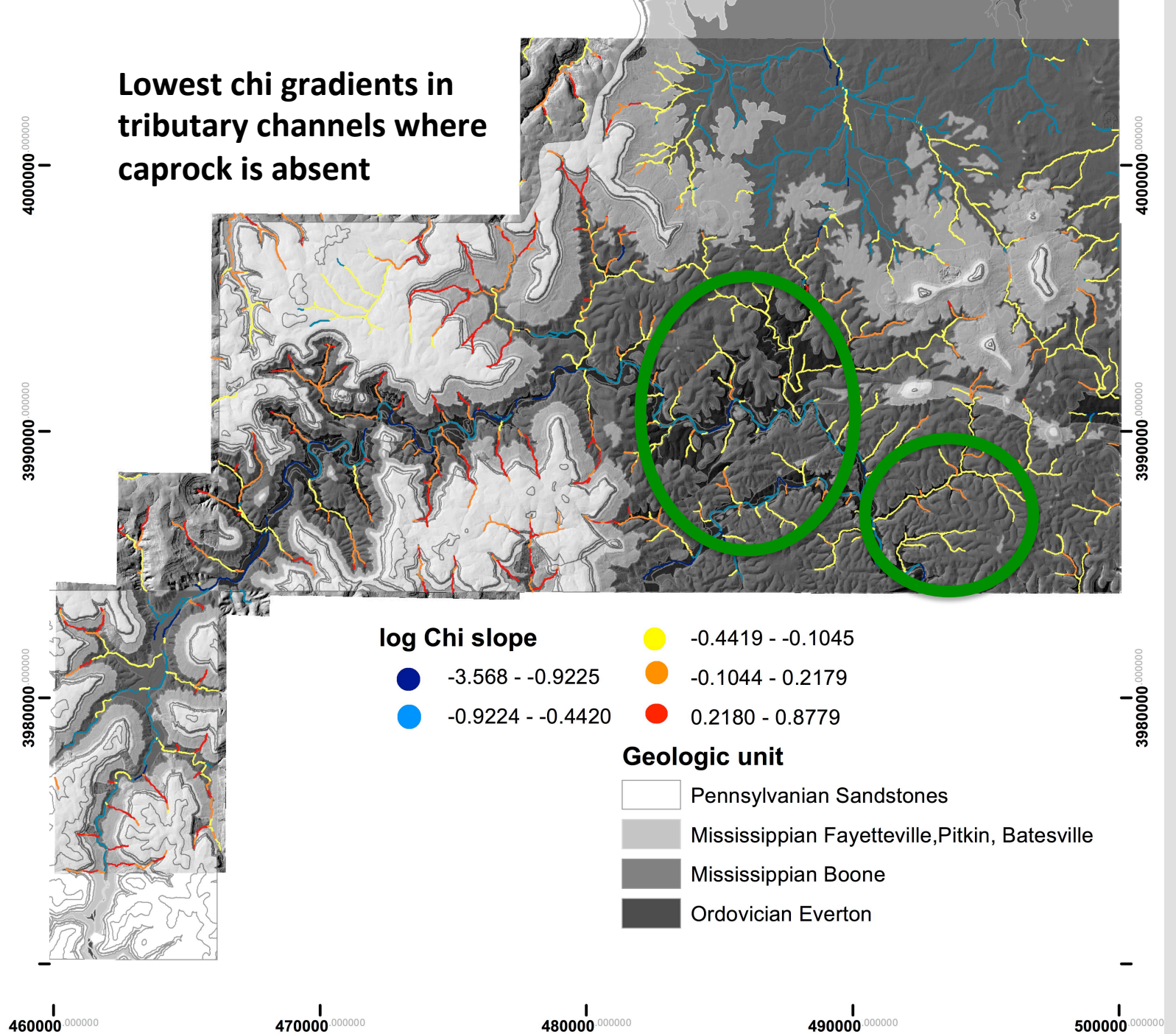
Even high chi gradients in
channels beneath
sandstone islands



Lowest chi gradients in
tributary channels where
caprock is absent

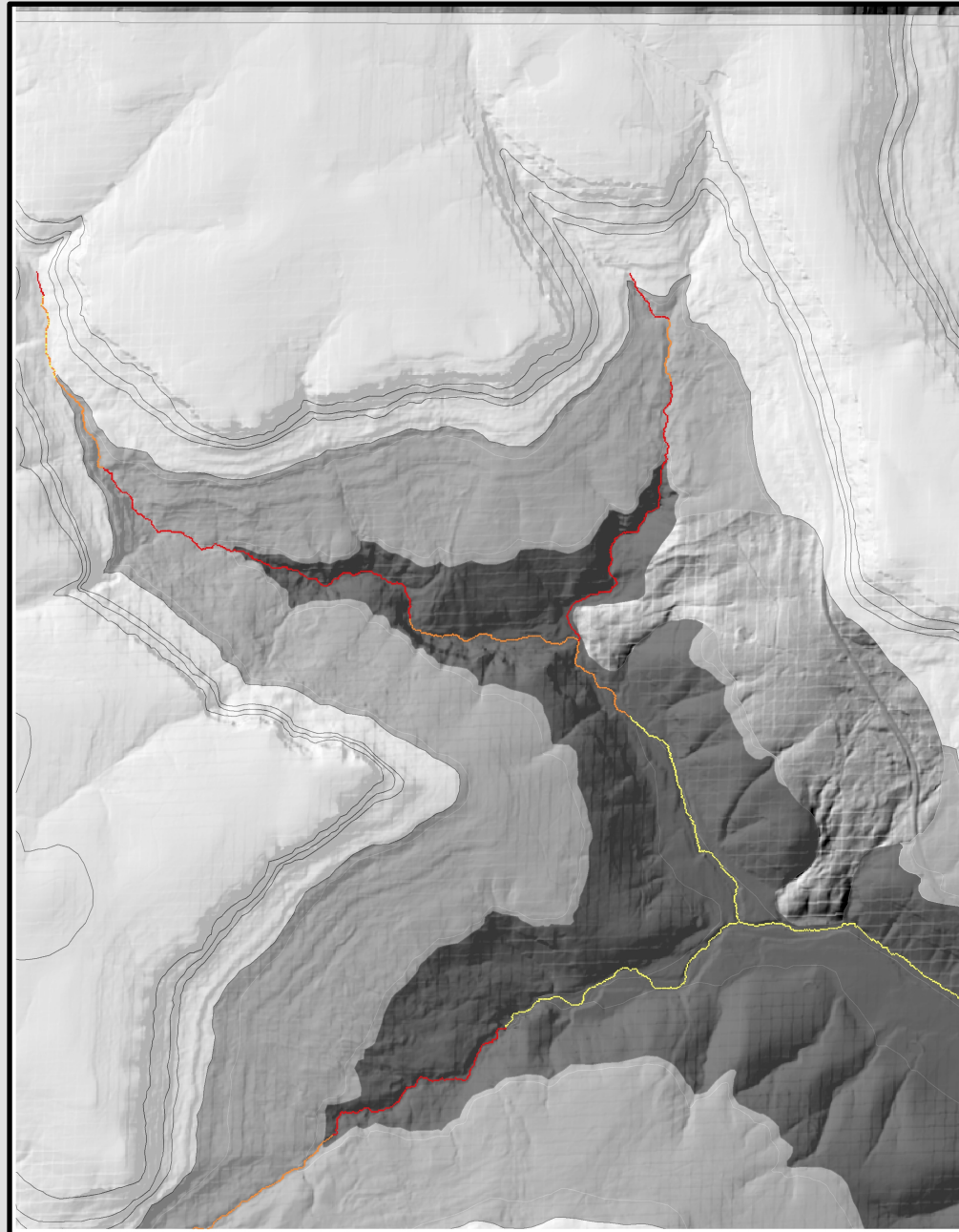


Lowest chi gradients in
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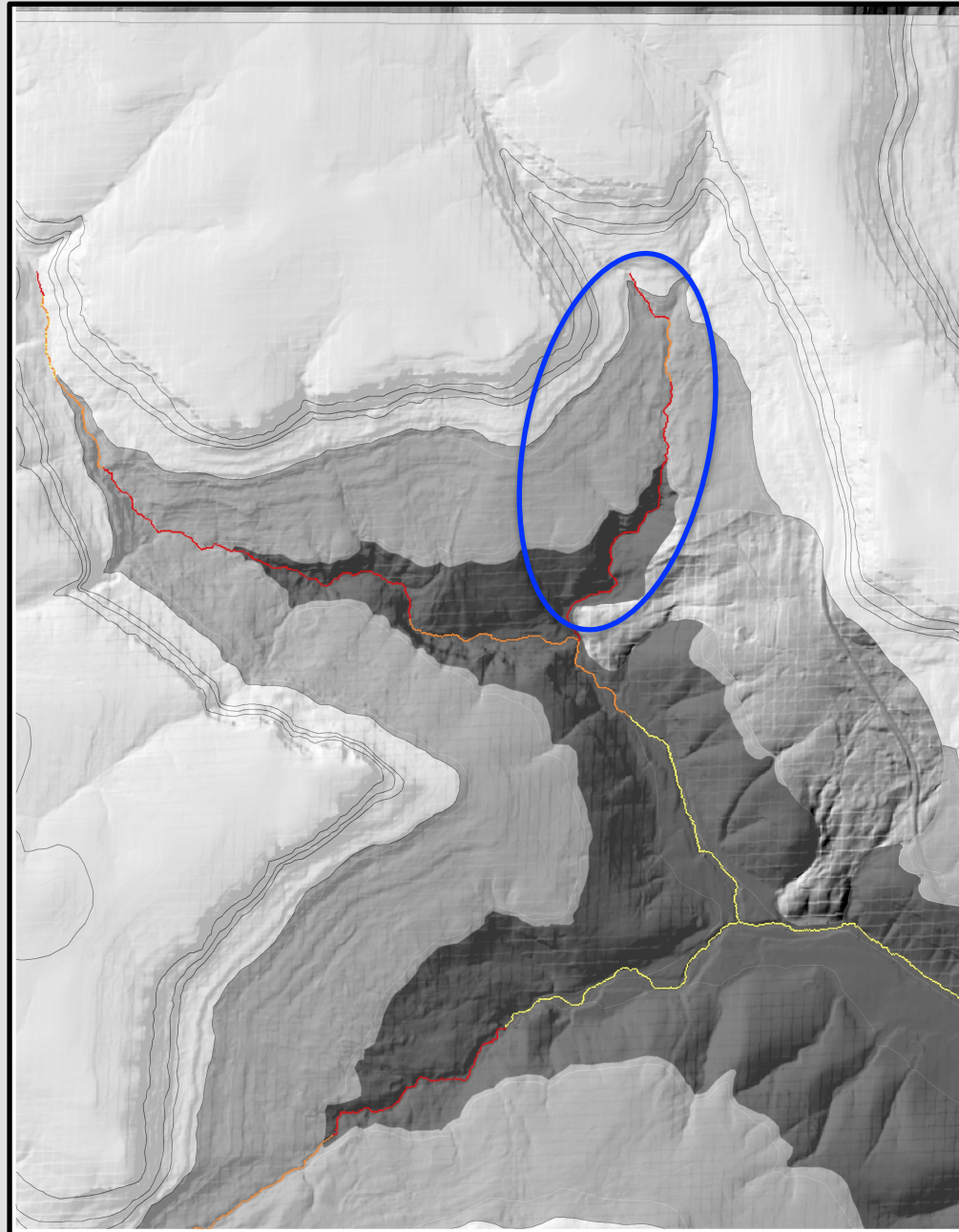
Segmentation of channels to avoid serial correlation

- Each channel is divided into reaches separated by junctions
- Further subdivided into lithologic reaches
- Node chi gradient values were averaged for each lithologic reach
 - Each reach is represented by a single chi gradient value
- Data showed no serial correlation
- Nemenyi multicomparison test was used to determine if different lithologies have systematic differences in chi gradient



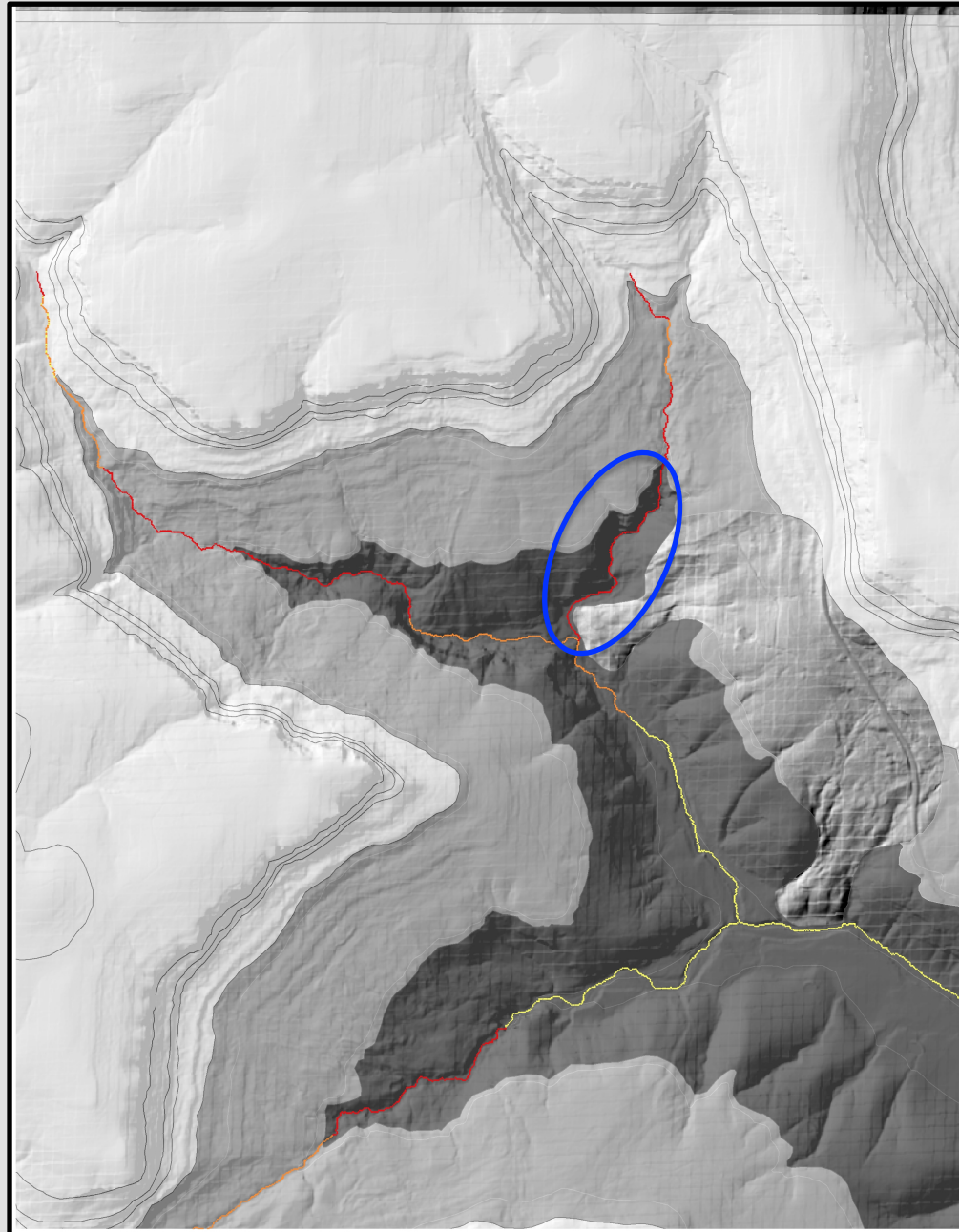
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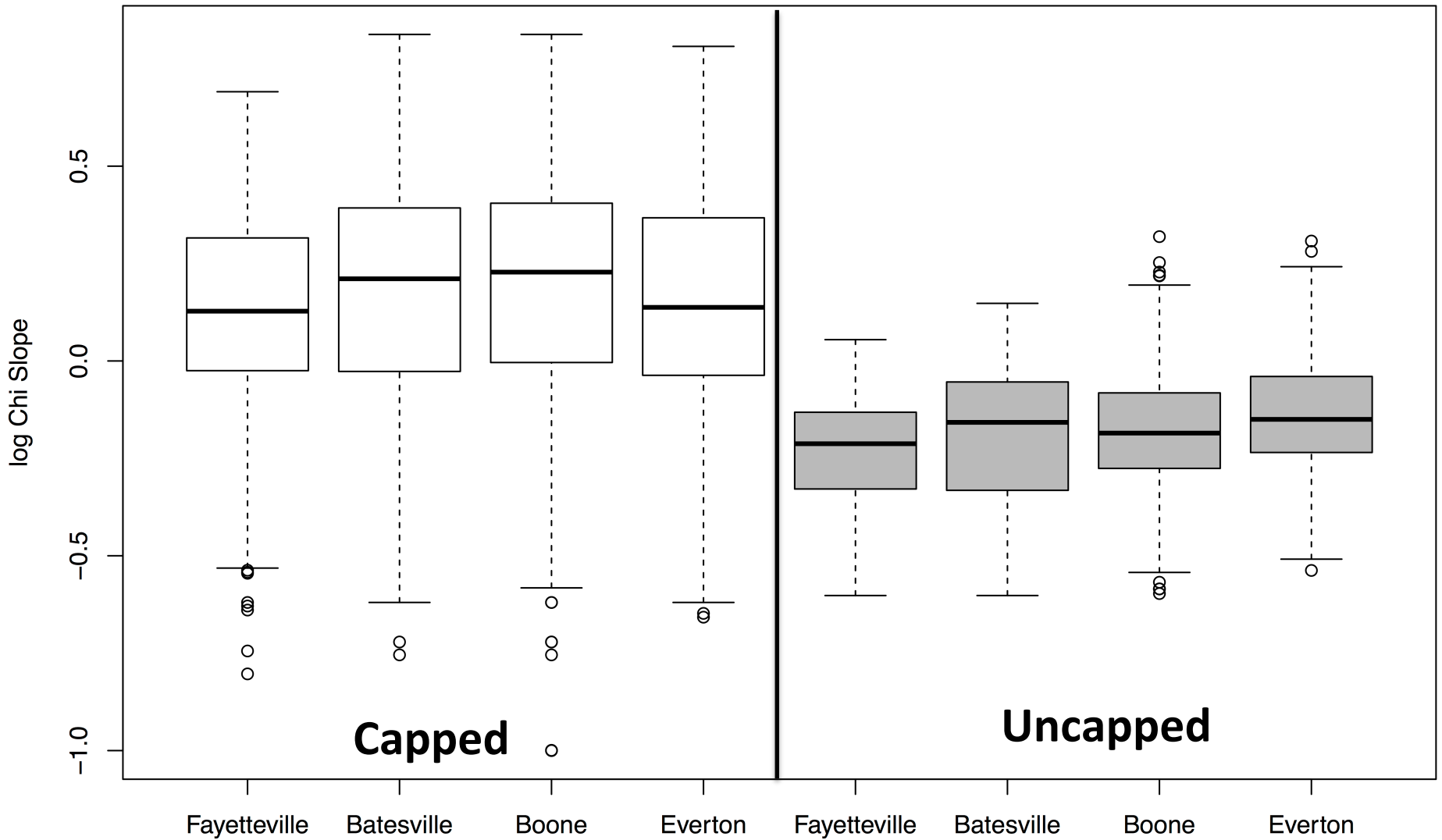


Segmentation of channels to avoid serial correlation

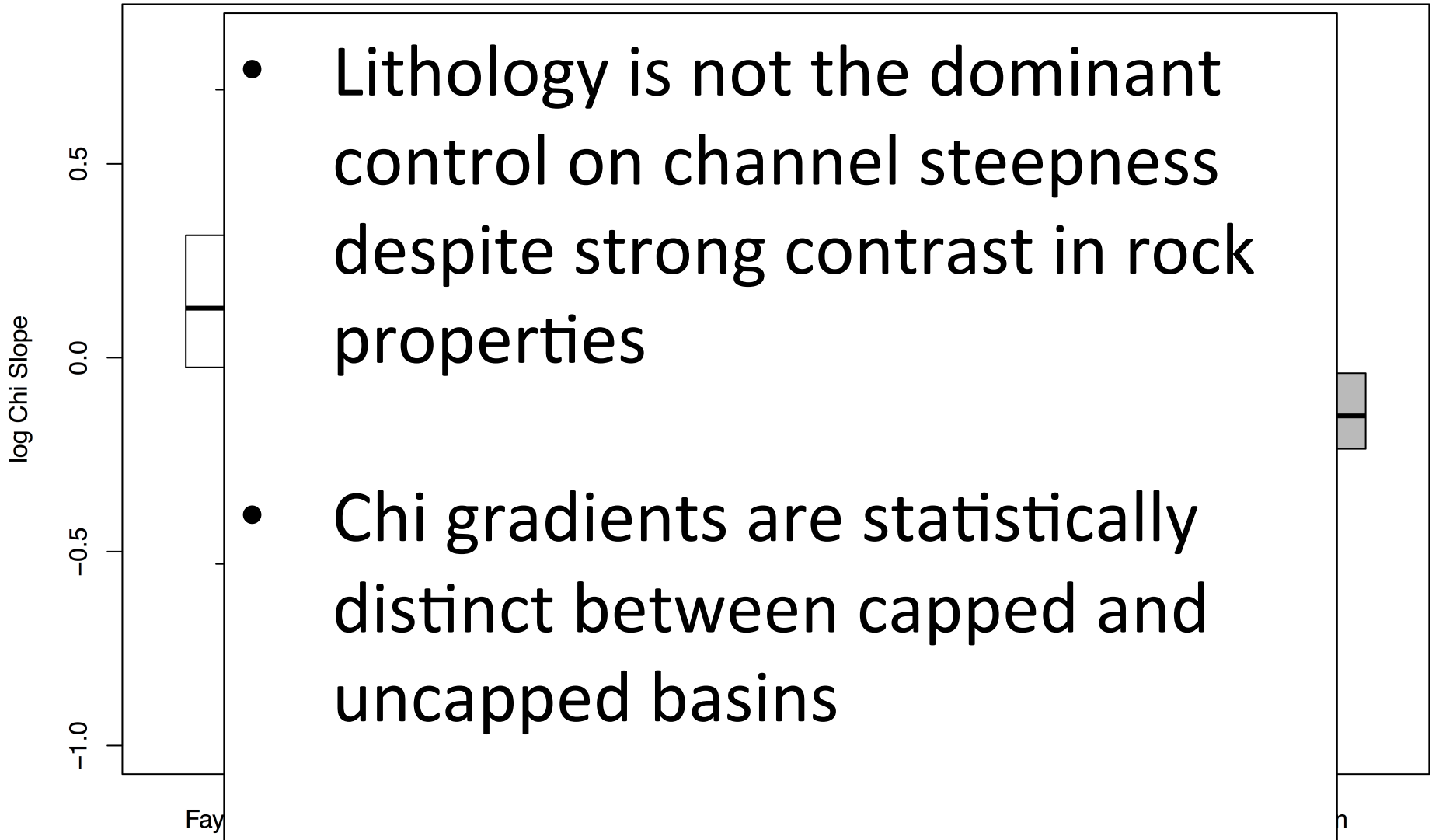
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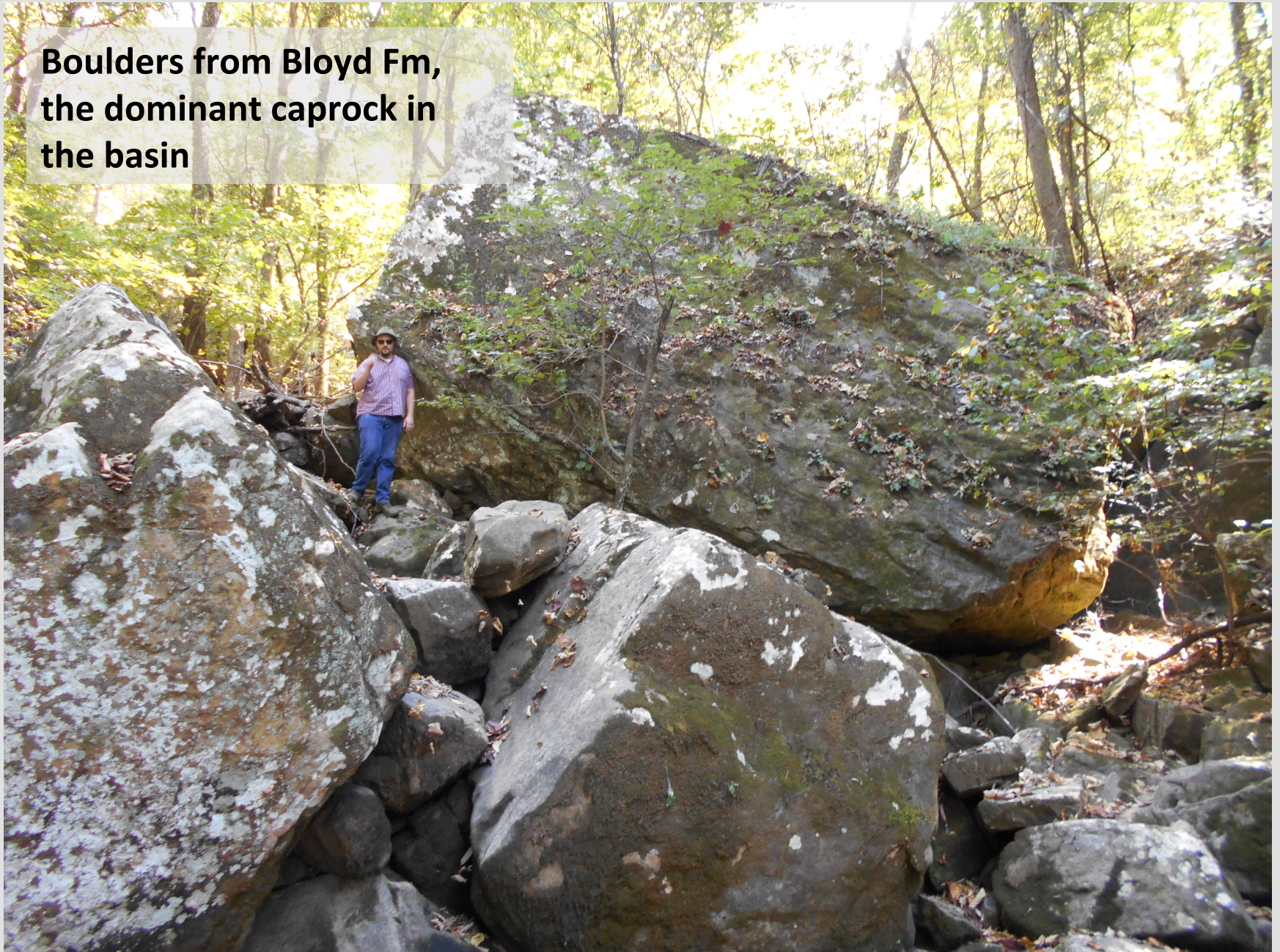
Tributary channels

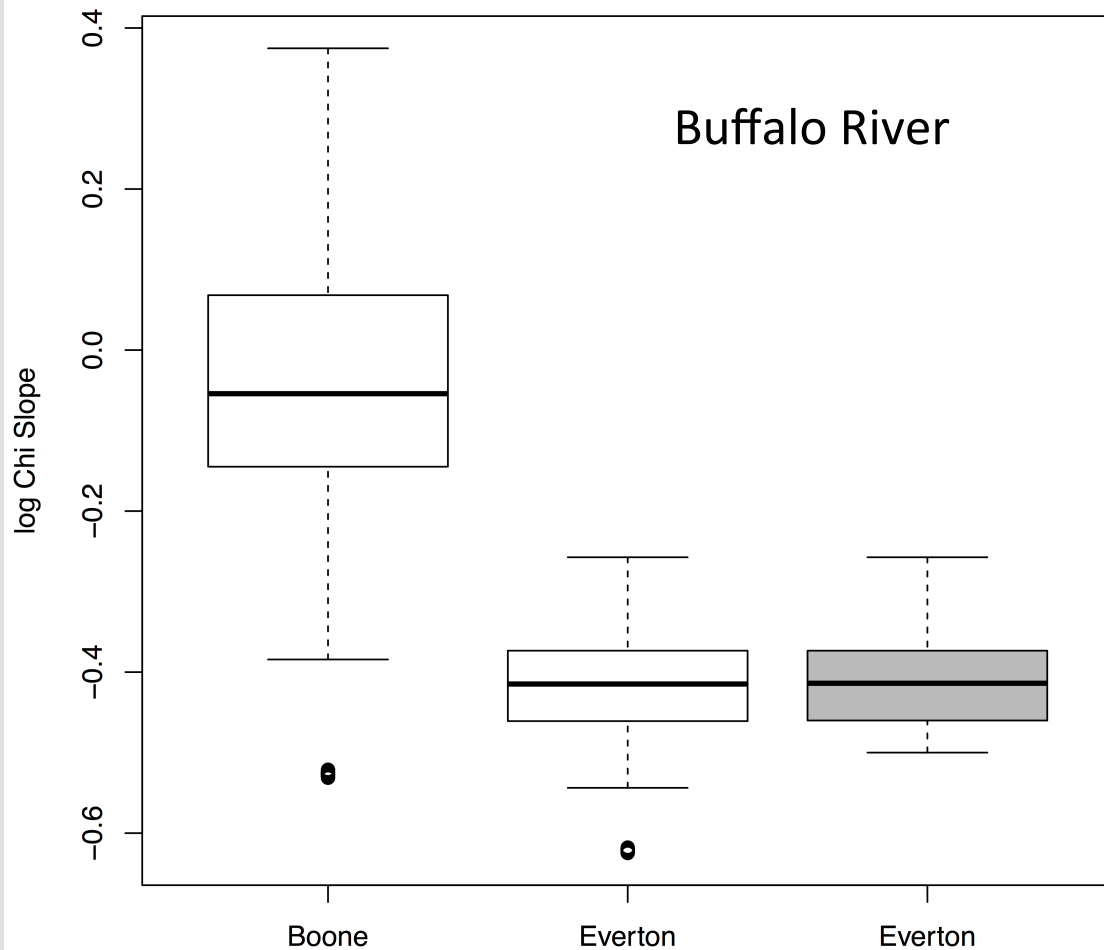


Tributary channels



**Boulders from Bloyd Fm,
the dominant caprock in
the basin**





- Boone reach has multiple landslides and some large sandstone boulders in channel
- Minimal Influence of sandstone caprock on reaches in Everton Fm

$$E = -K m_{\chi}^n A_0^m$$

$$m_{\chi} = \left(\frac{U}{K A_0^m} \right)^{1/n}$$

$$\frac{E_1}{E_2} = \frac{k_1 (m_{\chi,1})^n}{k_2 (m_{\chi,2})^n}$$

In the Buffalo Basin:

- No constraints on erosion rates or erodibility values
- Can still use ratios of chi gradients to get relative erosion rates or relative erodibility under certain assumptions
 - $n=1$

$$\frac{E_1}{E_2} = \frac{k_1 (m_{\chi,1})^n}{k_2 (m_{\chi,2})^n}$$

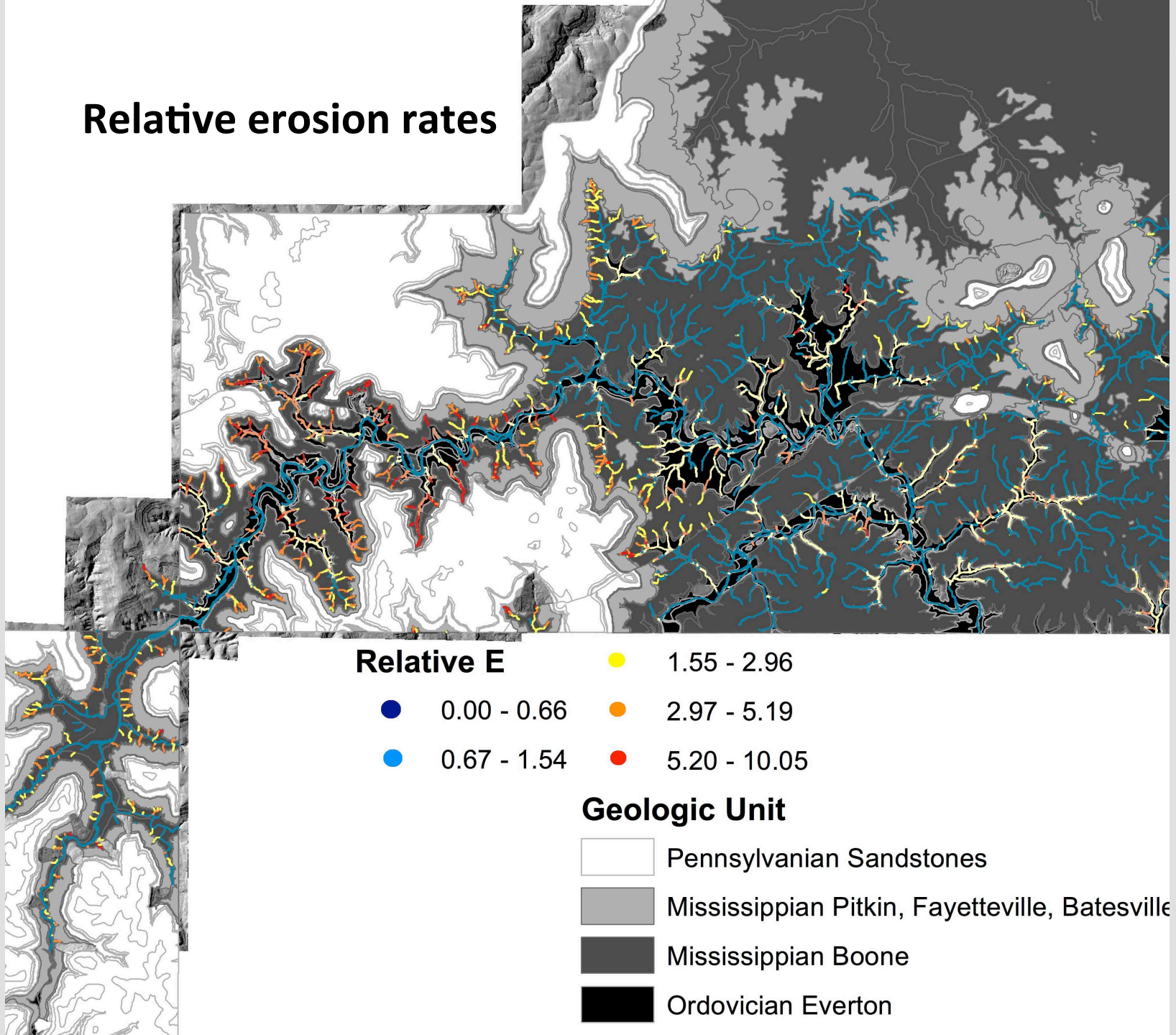
- Assume erodibility is solely a function of lithology
 - Allows maps of relative erosion rates in a given lithology

$$\frac{E_1}{E_2} = \frac{(m_{\chi,1})^n}{(m_{\chi,2})^n}$$

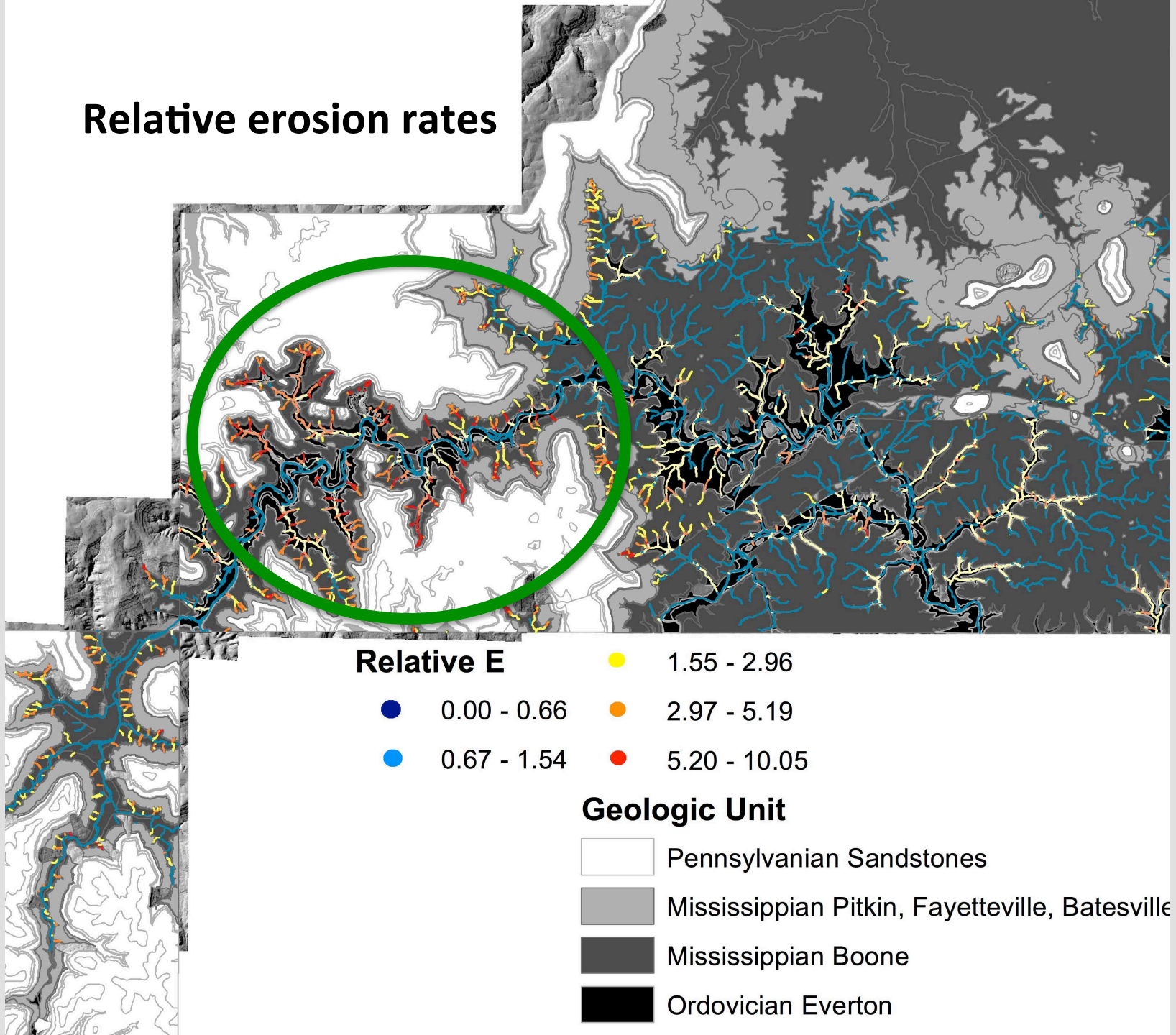
- Assume erosion rates of Boone and Everton are equal in the main stem

$$K_{\text{boone}} (m_{\chi, \text{Boone}})^n = K_{\text{everton}} (m_{\chi, \text{everton}})^n$$

Relative erosion rates



Relative erosion rates



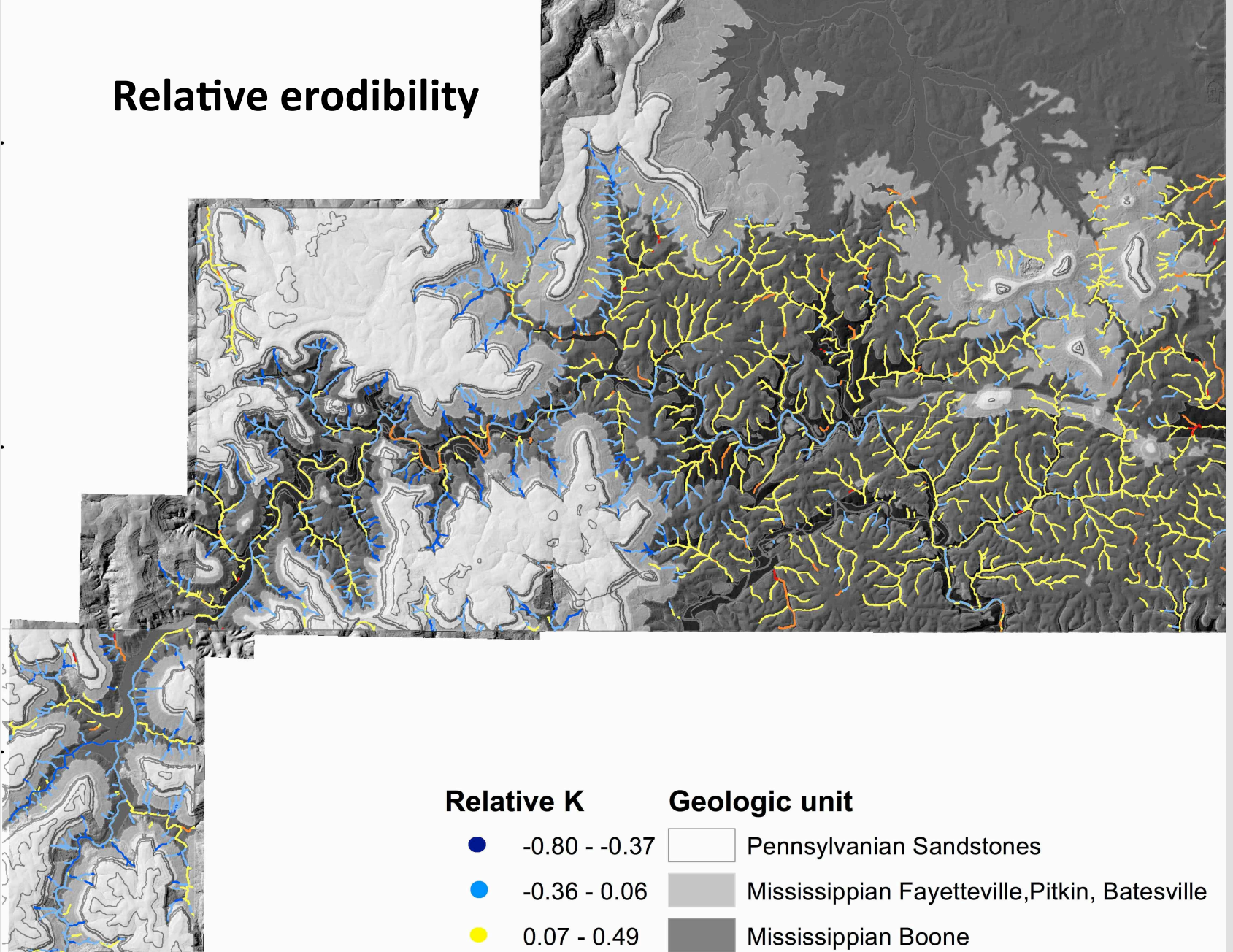


$$\frac{E_1}{E_2} = \frac{k_1 (m_{\chi,1})^n}{k_2 (m_{\chi,2})^n}$$

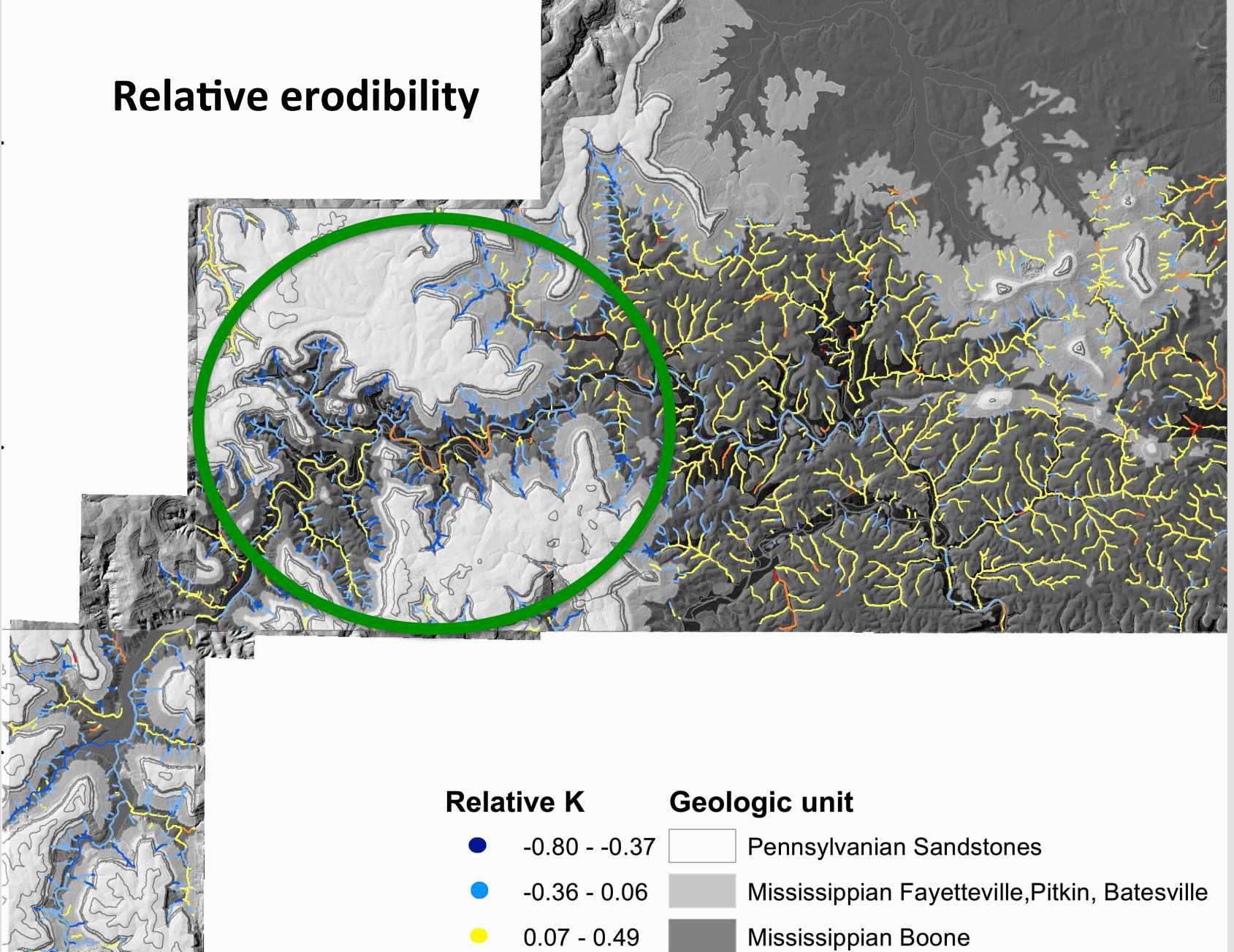
$$\frac{k_1}{k_{ref}} = \left(\frac{m_{\chi,ref}}{m_{\chi,1}} \right)^n$$

- Assume erosion rates throughout the basin are equal
- Don't assume erodibility is solely a function of lithology
 - Determine relative erodibility
- $n=1$
- Reference chi gradient value is the mean of all chi gradient values in the basin

Relative erodibility



Relative erodibility



Conclusions

- Dominant control on bedrock channel steepness is not substrate lithology, but sediment supply from sandstone caprock
 - Overwhelm channel's ability to mobilize sediment
 - Removal of caprock material limits the rate of tributary channel erosion
- Ratio of chi gradients
 - Highest relative erosion rates beneath sandstone caprock
 - Lowest relative erodibility beneath sandstone caprock
 - Boulders armor channel and prevent erosion (Sklar and Dietrich, 2004)
- The main stem of the Buffalo is less affected by the sandstone caprock



Questions?

Schmidt Hammer scores of the dominant lithologies in the basin

